

# *Sub-hourly Modeling of Sheet Erosion and Sediment Transport using the SWAT Model*

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# Why ?



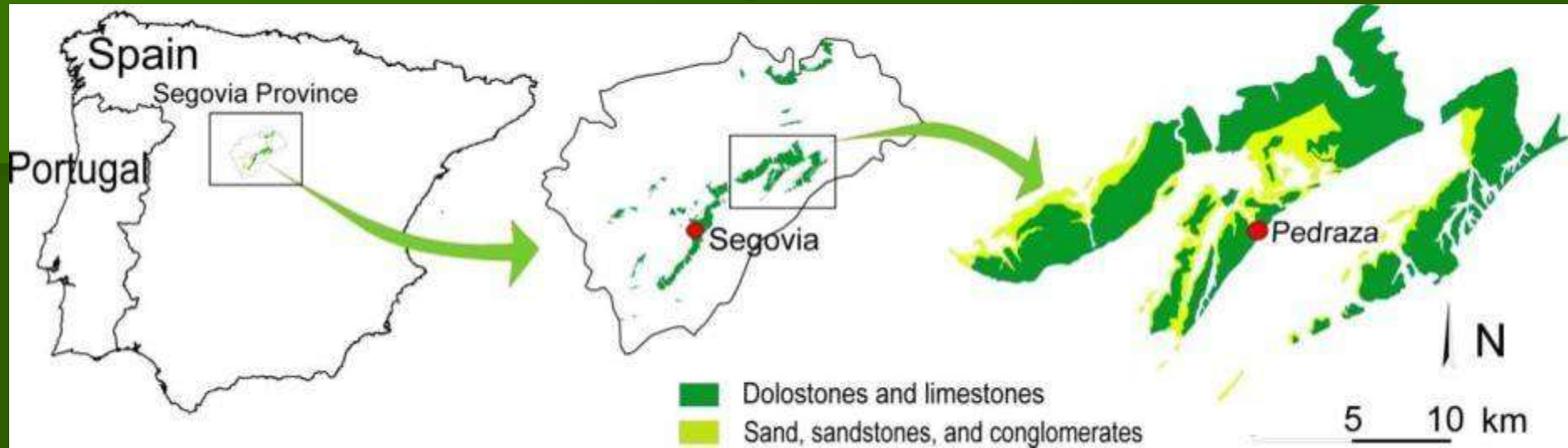
- **Gullies developed on sands:**
  - Rare worldwide
  - Few studies on such gullies
- **Apparent high activity and hillslope-channel coupling**
- **No previous hydrogeomorphic studies in this area**

# Objectives

- Understand the geomorphic processes operating within these gullies.
- Demonstrate sheet erosion is the predominant erosive process
- Estimate sediment yield

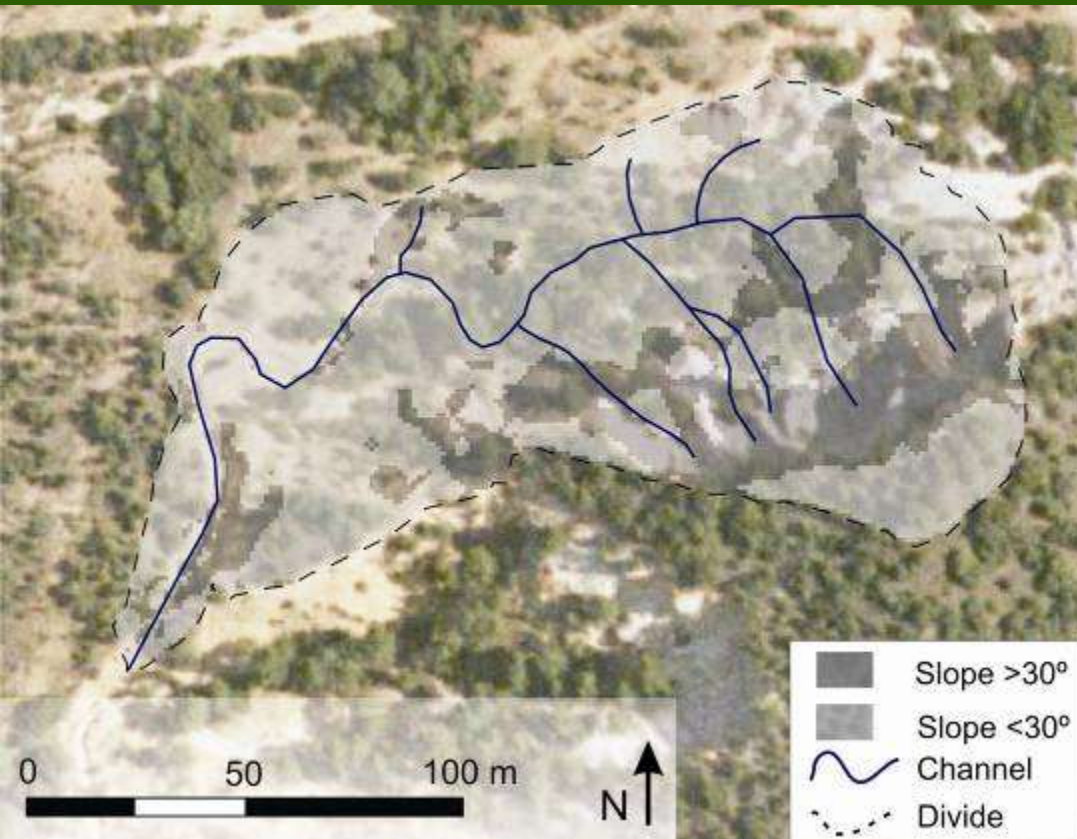


# Study Area



- Continental mediterranean climate
  - Precipitation 650 mm/year
- Cretaceous bedrock sediments
- Mesas and cuestras
- Sandy cambisols
- Holm oak and savin forests

# Experimental catchment: Barranca de los Pinos



## ■ Landform map

– High gradient slopes  
*Gravitational processes*

– Low gradient slopes  
*Erosive processes due to overland flow and splash*

– Channels  
*Fluvial processes*

**ZONE 1**  
Drainage basin  
or production zone

*Rock and earth falls.*  
-Roots partially exposed

*Sheet erosion*  
-Roots partially exposed  
(parallel and perpendicular  
to the slope)

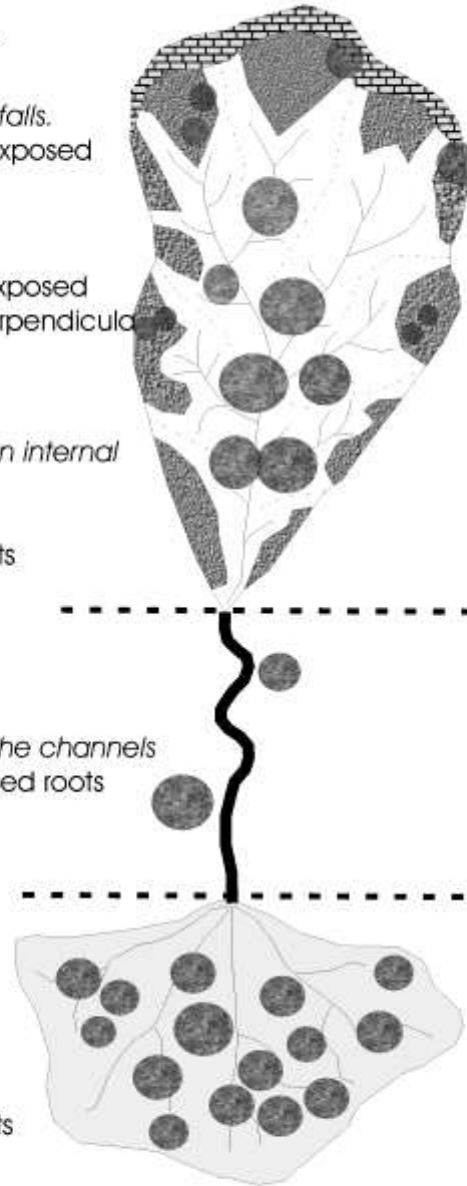
*Sedimentation on internal  
deposits*  
-Buried trunks  
-Adventitious roots

**ZONE 2**  
Colector  
or transfer zone

*Fill and scour in the channels*  
-Sectors of exposed roots

**ZONE 3**  
Cone  
or deposition zone

*Sedimentation*  
-Buried trunks  
-Adventitious roots

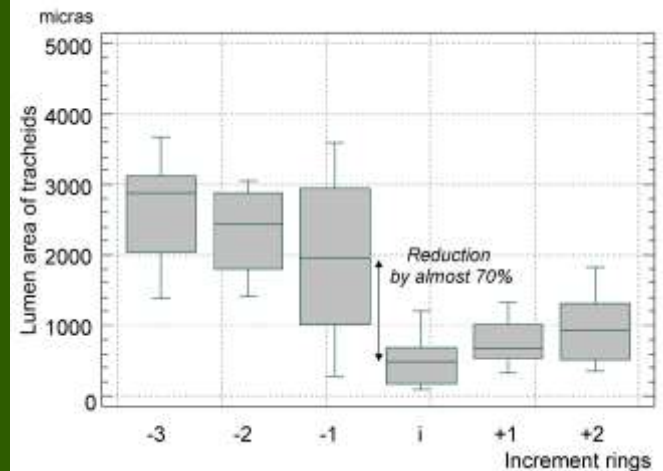
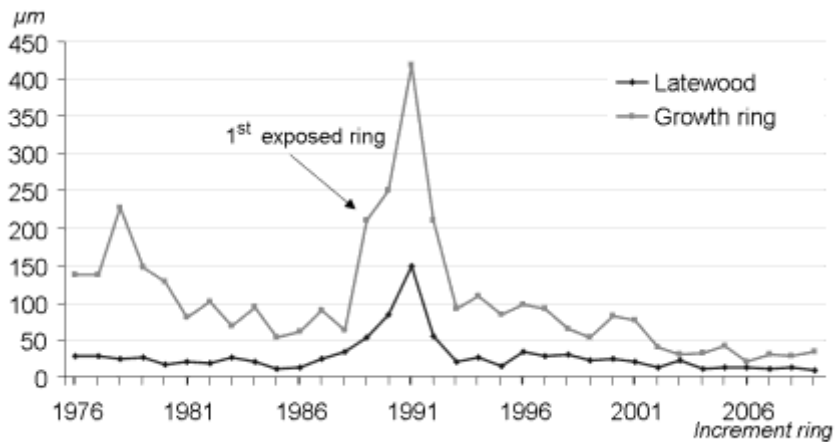
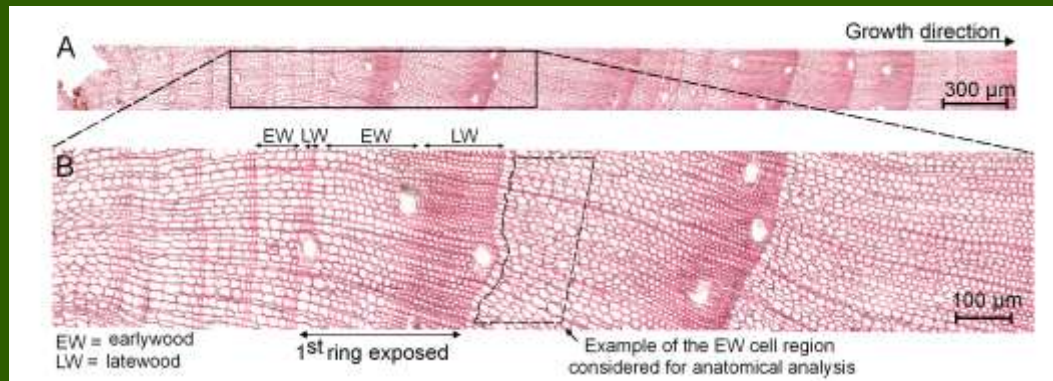


**Leyend**

- |  |   |  |
|--|---|--|
|  Exposed sands      |  Caprock         |  Flow lines |
|  Surficial deposits |  Tree vegetation |  Divides    |

# Methods

- Estimate sheet erosion rates by using a dendrogeomorphic approach



# Methods

- Estimate sheet erosion rates by using a dendrogeomorphic approach

$$CES = 36A^{-0.2} - \frac{2}{\log P} + \log BR$$

*CES*: Sediment delivery ratio

*A*: Catchment area

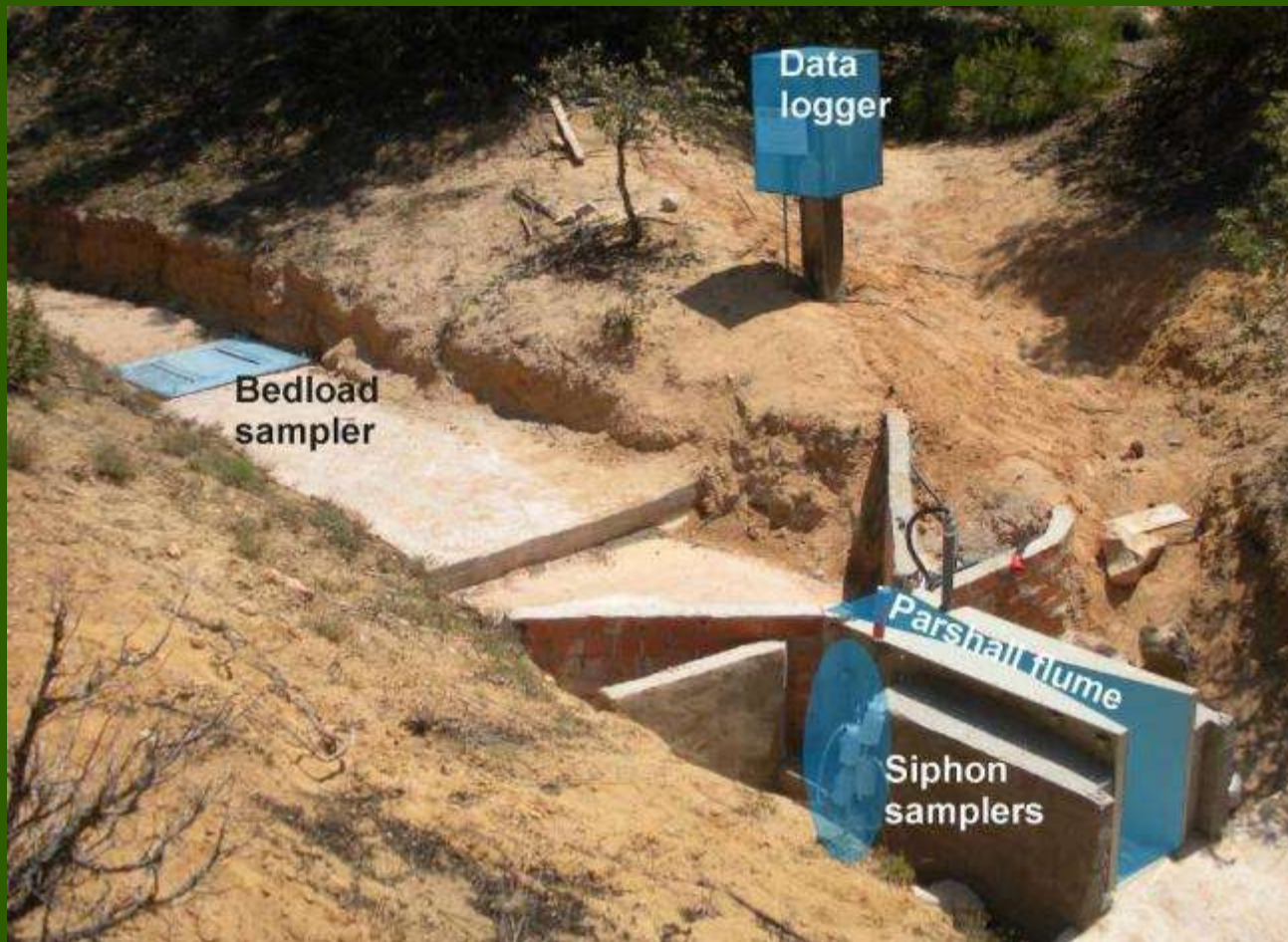
*P*: Main channel slope

*BR*: Bifurcation ratio (f – stream order)



# Methods

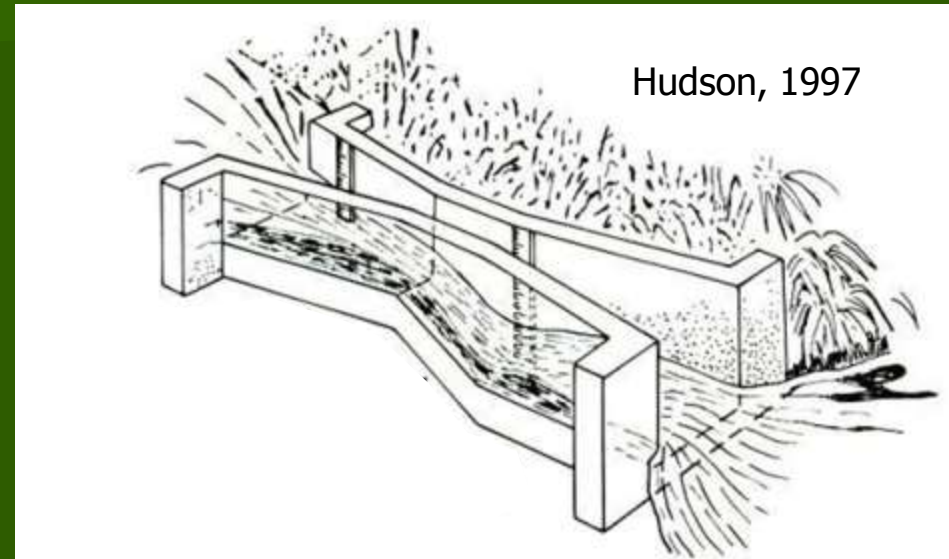
## ■ Field measurement of total soil erosion and runoff



# Methods

- Field measurement of total soil erosion and runoff

- Parshall flume → water discharge

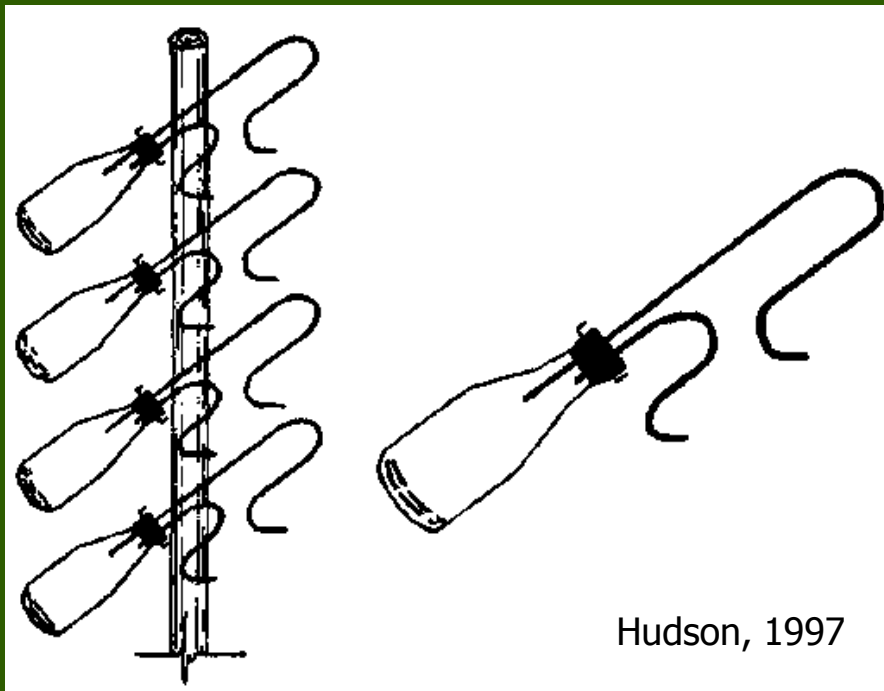


# Methods

- **Field measurement of total soil erosion and runoff**

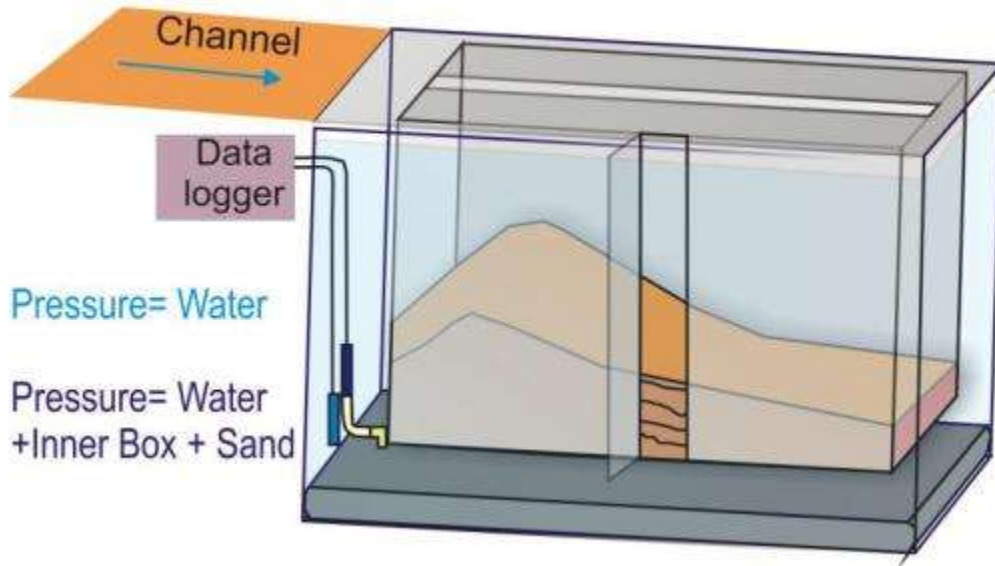
- Siphon samplers →  
suspended sediments  
and solutes

- 6 ½-liter bottles



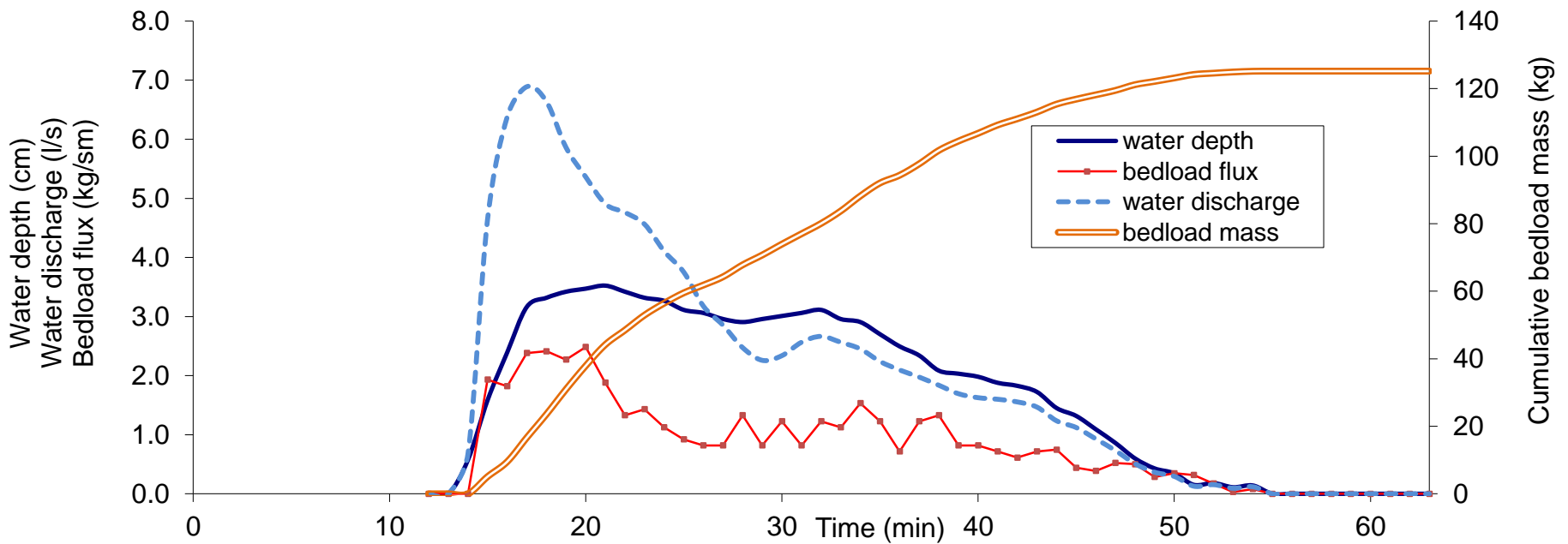
# Methods

- Field measurement of total soil erosion and runoff
- Reid slot sampler → automatic and continuous bedload sampling



# Methods

## ■ Channel: Basin outlet



Effective rain: 9.2 mm  
Runoff coefficient 5.4 %

Total sediment  
yield : 3.3 Mg



■ Solutes  
■ Suspended Sediment  
■ Bedload

# Methods

## ■ Subhourly SWAT model -Motivation

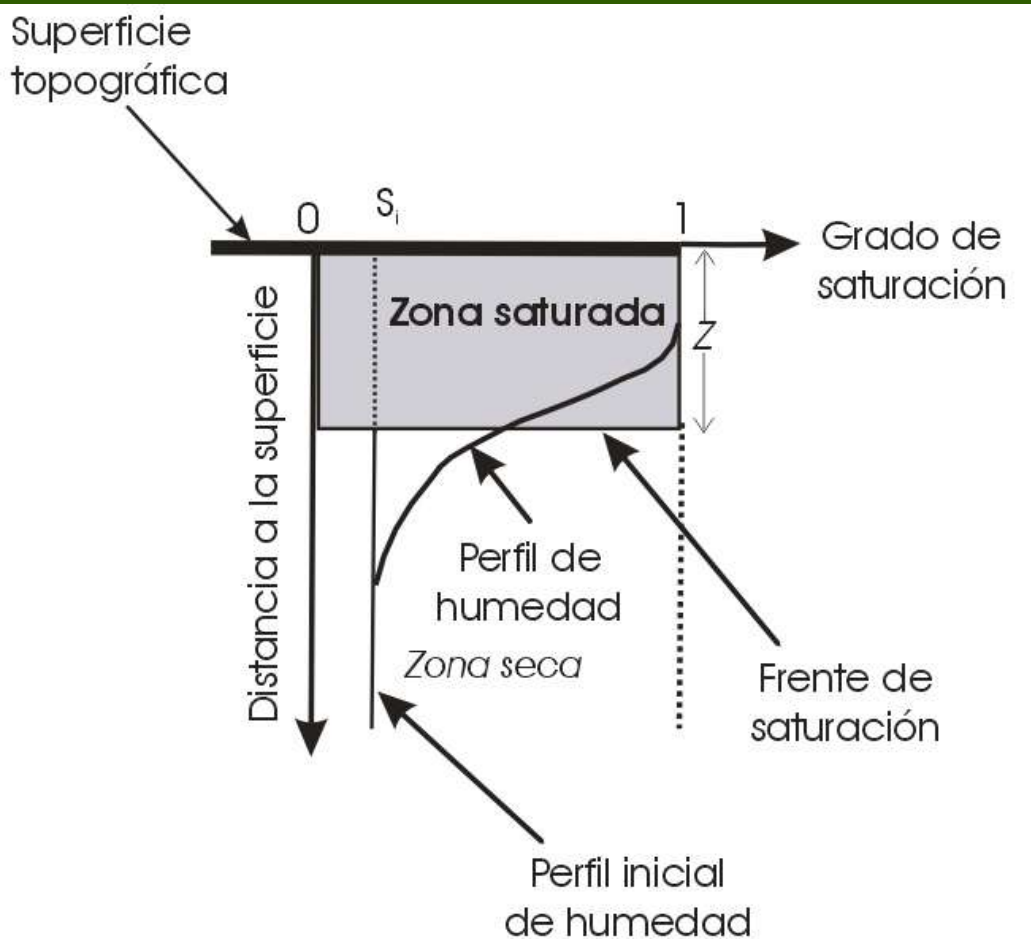
*Jeong et al., 2010*

- ❑ The Universal Soil Loss Equation (MUSLE) in SWAT 2005/2009 is intended for daily upland erosion and sediment transport modelling in overland flow
- ❑ The MUSLE is an empirical model developed for predicting long term average soil loss and is NOT adequate for subdaily continuous simulation
- ❑ Subdaily erosion and sediment transport is not available in SWAT 2005/2009

# Methods

## ■ Subhourly SWAT model - Motivation

✓ *Estimation of infiltration and excess rainfall*



$$f(t) = K \left( \frac{\Psi \Delta \theta}{F(t)} + 1 \right)$$

Where  $K$  is the hydraulic conductivity,  $\psi$  is the wetting front suction head,  $\Delta\theta$  is the change in moisture content and  $F(t)$  is the cumulative infiltration depth.

# Methods

## ■ Subhourly SWAT model -Motivation

✓ *Surface runoff lag*

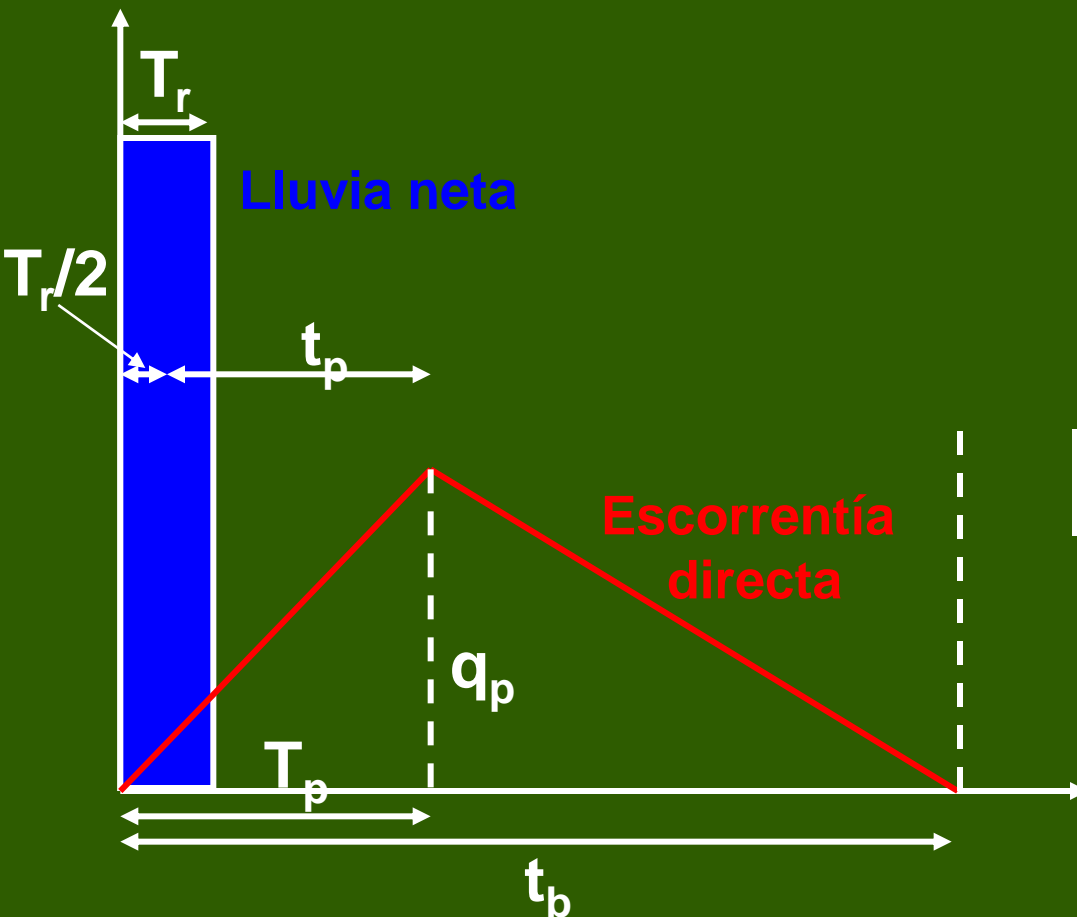
$$Q_{surf,i} = (Q'_{surf,i} + Q_{stor,i-1}) \left( 1 - \exp \left[ \frac{-surlag}{t_c / \Delta t} \right] \right)$$



# Methods

## ■ Subhourly SWAT model -Motivation

✓ *Unit hydrograph*



$$Q_{uh} = t/t_p \text{ if } t \leq t_p$$

$$Q_{uh} = \frac{t_b - t}{t_b - t_p} \text{ if } t > t_p$$

$$t_b = 0.5 + 0.6t_c + tb\_adj$$

$$t_p = 0.375 t_b$$

# Methods

## ■ Subhourly SWAT model - Motivation

✓ *Channel impoundment routing*

$$S_{\text{Prism}} = KQ$$

$$S_{\text{Wedge}} = KX(I - Q)$$

$K$  = travel time of peak through the reach

$X$  = weight on inflow versus outflow ( $0 \leq X \leq 0.5$ )

$X = 0$  → Reservoir, storage depends on outflow, no wedge

$X = 0.0 - 0.3$  → Natural stream

$$S = KQ + KX(I - Q)$$

$$S = K[XI + (1 - X)Q]$$

Advancing  
Flood  
Wave  
 $I > Q$

Receding  
Flood  
Wave  
 $Q > I$

